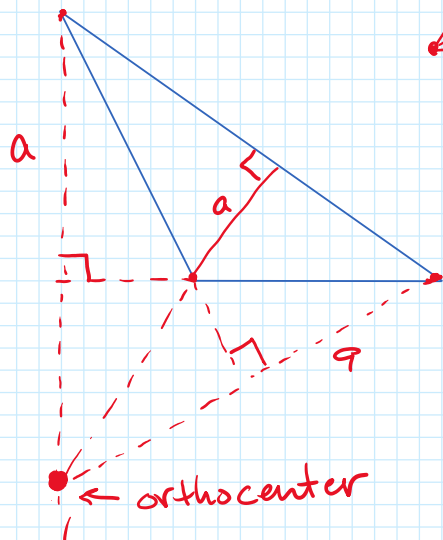


# 7-5 Medians and Altitudes (Master)

Wednesday, December 9, 2020 12:20 PM

**Altitude:** A perpendicular segment from a vertex to the opposite side

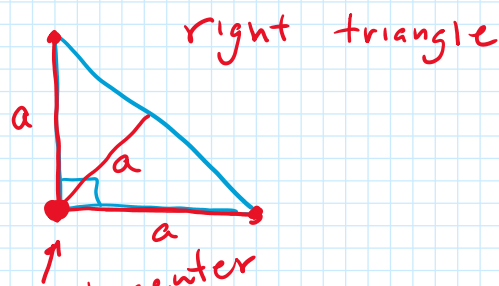
**Obtuse Triangle**



Acute triangle



orthocenter



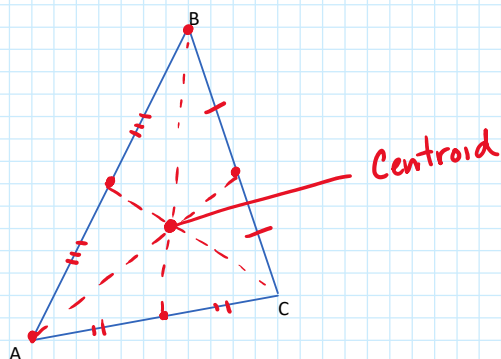
a = altitude

**Orthocenter** is the intersection of the three altitudes

- Obtuse- the orthocenter will be on the exterior of the triangle
- Acute- the orthocenter will be in the interior of the triangle
- Right- the orthocenter will be on the triangle

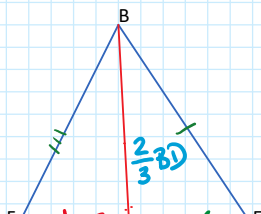
**Median:** a segment that has endpoints at a vertex and the midpoint of the opposite side

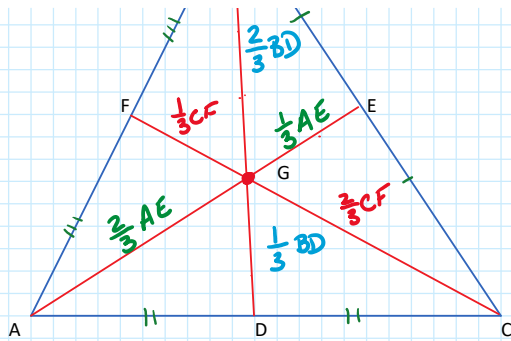
$$\text{Midpoint} = \left( \frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right)$$



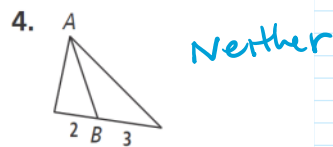
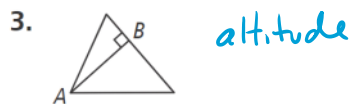
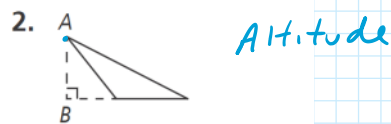
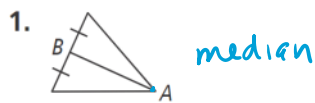
**Centroid:** the point of intersection of the three medians

$$2\left(\frac{1}{3}\right) = \frac{2}{3}$$



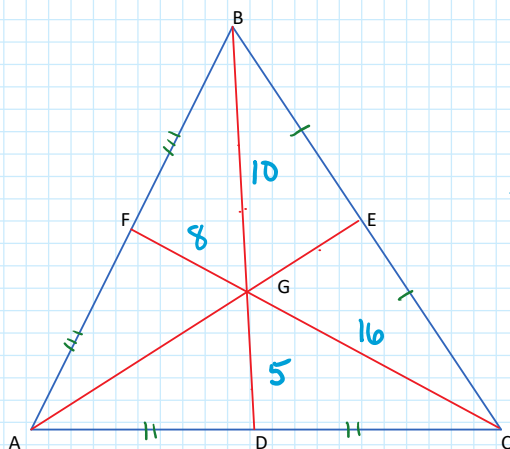


**Ex 1** For each triangle, identify whether  $\overline{AB}$  is an altitude, a median, or neither.



**Ex 2** In  $\triangle ABC$ , G is the centroid.  $BD = 15$  and  $GF = 8$ .

$$\frac{2}{3} = 2\left(\frac{1}{3}\right)$$



$$\begin{aligned} BD &= 15 & CF &= 24 \\ BG &= \frac{2}{3}(15) = 10 & CG &= 16 \\ GD &= \frac{1}{3}(BD) = 5 & GF &= 8 \\ \frac{1}{2}(BG) &= 5 \end{aligned}$$